

- Phillip Griffiths and Joe Harris. *Principles of algebraic geometry*. Wiley-Interscience, New York, 1978, section 0.3. — Very short introduction, a bit of cohomology and basic examples.
- S. S. Chern. *Complex Manifolds without Potential Theory*. D. van Nostrand Company, Inc., 1967, §4.
- Raoul Bott and Loring W. Tu. *Differential forms in algebraic topology*, volume 82 of *Graduate Texts in Mathematics*. Springer-Verlag, New York, 1982, §§8-10. — Čech-de Rham complex.
- Glen E. Bredon. *Sheaf theory*, volume 170 of *Graduate Texts in Mathematics*. Springer-Verlag, New York, second edition, 1997 — Introduction and many topics treated.
- Gabriel Chênevert and Payman Kassei. Sheaf cohomology — Seminar notes. Starts with derived category approach for cohomology and then compares it to Čech.
- Daniel Cibotaru. Sheaf cohomology, 2005 — Shorter and rougher than the seminar notes above.
- Saunders Mac Lane and Ieke Moerdijk. *Sheaves in geometry and logic*. Universitext. Springer-Verlag, New York, 1994. A first introduction to topos theory, Corrected reprint of the 1992 edition, chapter II. — Sheaves and sheafification as sections of a constructed bundle of stalks.
- James S. Milne. *Étale cohomology*, volume 33 of *Princeton Mathematical Series*. Princeton University Press, Princeton, N.J., 1980, chapter II and III. — Categorical approach. Also handles Čech cohomology.
- Claudia Centazzo and Enrico M. Vitale. Sheaf theory. In *Categorical Foundations, Special Topics in Order, Topology, Algebra and Sheaf Theory*, volume 97 of *Encyclopedia of Mathematics and its Applications*, chapter VII, pages 312–358. CUP, 2003 — Nice and abstract.
- P. T. Johnstone. *Topos theory*. Academic Press [Harcourt Brace Jovanovich Publishers], London, 1977. London Mathematical Society Monographs, Vol. 10, chapters 2 and 8. — Categorical approach.
- Francis Borceux. *Handbook of categorical algebra 3*, volume 52 of *Encyclopedia of Mathematics and its Applications*. Cambridge University Press, Cambridge, 1994. Categories of sheaves, chapter 2. — Categorical approach.